A r	p# x	r & A & r	fr 🔊 🔞	6	619
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, b			,b		PAA P
<i>I</i> , , , ,	· · · · · · · · · · · · · · · · · · ·	b VY	, J		БЛЛ
<i>I</i> ,	, , , , , , , , , , , , , , , , , , ,	B.VV	YY , , , b , , b , , b , ,		
2.1 BYY			Harmony Func		
Y . , , ,	$y \in \mathcal{Y}$ $p x, y$ \mathbf{Y}	$\subset \Re^m$ or $x \neq y \mid x$	$x \in \mathcal{X} \subset \mathbb{R}^n$ $q x, y \qquad q y q x$ $b b$ $p x q x y$	$egin{array}{cccccccccccccccccccccccccccccccccccc$	$\{x_t\}_{t=1}^N$
	H p q	$\int p y x p x l$	$(n \ q \ x y \ q \ y \ dxdy)$,	
,b	Y	· · · · · · · · · · · · · · · · · · ·	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	y ,b ,	

$KL \ p q = \int p \ y x \ p \ x \ ln \frac{p \ y x \ p \ x}{q \ x y \ q \ y} dx dy = -H \ p q \ -H \ p \ ,$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$
$q \ x \theta_j \qquad q \ x m_j, \Sigma_j \qquad \frac{1}{\pi^{-\frac{1}{2}} \Sigma_j ^{\frac{1}{2}}} e^{-\frac{1}{2}(x-m)^T \Sigma^{-1}(x-m)},$
\mathcal{L}_j \mathcal{L}_j
$p \ y = j x = \frac{\alpha_j q \ x \theta_j}{q \ x \Theta_k}, \qquad q \ x \Theta_k = \sum_{j=1}^k \alpha_j q \ x \theta_j ,$
$\{egin{array}{lll} eta_k & \{lpha_j, heta_j\}_{j=1}^k & q \ x \Theta_k & & & & & & & & & & & & & & & & & & &$
$H p q - E_{p(x)} \sum_{j=1}^{k} \frac{\alpha_j q X \theta_j}{\sum_{i=1}^{k} \alpha_i q X \theta_i} ln \alpha_j q X \theta_j,$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$
$J \Theta_k = \frac{1}{N} \sum_{t=1}^{N} \sum_{j=1}^{k} \frac{\alpha_j q \ x_t \theta_j}{\sum_{i=1}^{k} \alpha_i q \ x_t \theta_i} \ln \alpha_j q \ x_t \theta_j .$
2.2 The Gradient Learning Rule for Straight Line Detection
J , b , b , d ,

. . .

$$\alpha_j \quad e^{\beta} / \sum_{i=1}^k e^{\beta} ,$$

 $q \ u|l \ q \ x, y|l \ \left\{-\frac{w_l^T \ x, y^T - b_l^2}{\tau^2 w_l^T w_l}\right\},$

 $\Delta w_l = \eta \frac{\alpha_l}{N} \sum_{t=1}^{N} h \ l | u_t \ U \ l | u_t = \frac{-w_l^T u_t - b_l^{-2} w_l - w_l^T u_t - b_l^{-W} w_l^T w_l u_t}{e^{r_l} \ w_l^T w_l^{-2}},$

 $\Delta b_l \quad \eta \frac{\alpha_l}{N} \sum_{t=1}^{N} h \ l | u_t \ U \ l | u_t \ \frac{w_l^T u_t - b_l}{e^{2r_l} \ w_l^T w_l},$

 $\Delta r_l = \eta \frac{\alpha_l}{N} \sum_{t=1}^{N} h \ l |u_t| U \ l |u_t| \frac{-|w_l^T u_t - b_l|^2}{e^{2r_l} \ w_l^T w_l},$

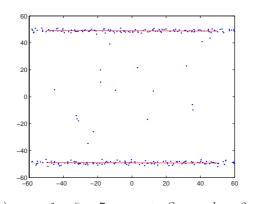
 $\Delta \beta_l \quad \eta \frac{\alpha_l}{N} \sum_{t=1}^N \sum_{j=1}^k h \ j | u_t \ U \ j | u_t \ \delta_{jl} - \alpha_j \ ,$

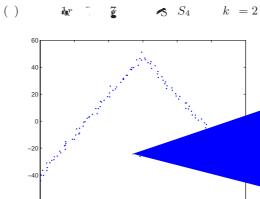
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$$U \ l|u_t \qquad \sum_{r=1}^k \delta_{rl} - P \ r|u_t \qquad \alpha_r q \ u_t|r \quad ,$$

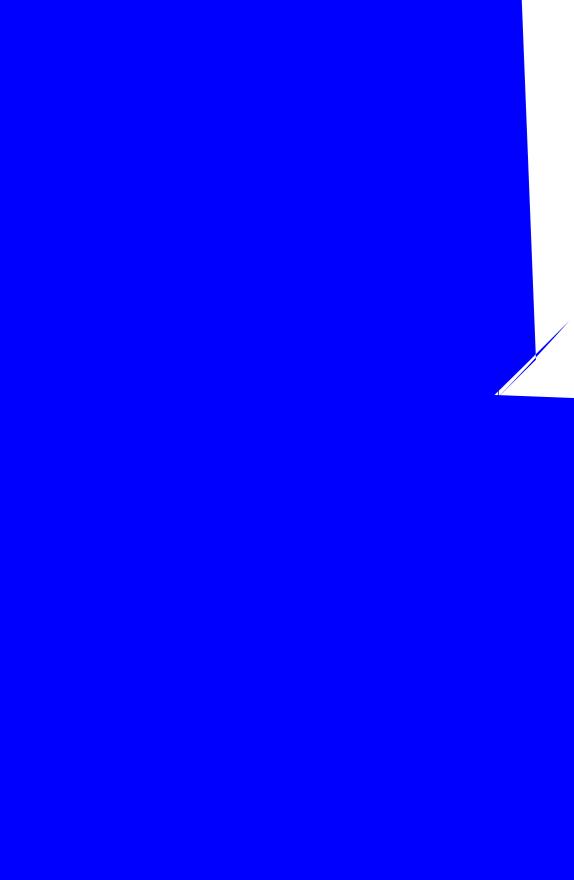
$$h \ l|u_t \qquad q \ u_t|l \ / \sum_{r=1}^k \alpha_r q \ u_t|r \ , P \ r|u_t \qquad \alpha_r h \ r|x_t \ .$$







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,b , , , , , , , , , , , , , , , , , ,	
k^* , b ,	,b
$k>k^*$ η . $arepsilon$. $arep$	\$ 7.50 S 7.50 S
b	
S_3 , b	-
,b ,	, 1 , T
$egin{array}{cccccccccccccccccccccccccccccccccccc$	₽'A'A

Acknowledgments. 7

7 r 6 ss 7 44, 87 116 (1988) **6 7** 34(6), 1247 1256 (2001) \overline{z} , \overline{z} , \overline{z} , \overline{z} , \overline{z} s s \overline{z} . 11. \cdot , J., \mathcal{Z} , \cdot : \mathcal{I} \mathcal{I} $r_{\rm S}$ 24(1), 19 40 (2006) 12. + , J., h, J.: A 7 r 8 A 7 fr hss + hr Aa__ ⊢ 13. + , **J**., **↓** , ..: A s 711 (2008) 14. $\frac{1}{1}$, $\frac{1}{$